

Prospects on constraining ΔG from A_{LL} for inclusive jet production at RHIC in 2003

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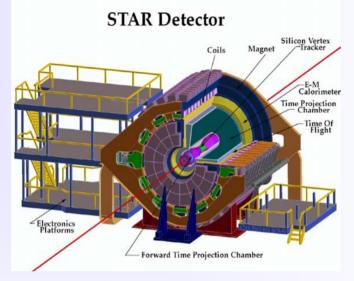
On behalf of the STAR Collaboration





Outline





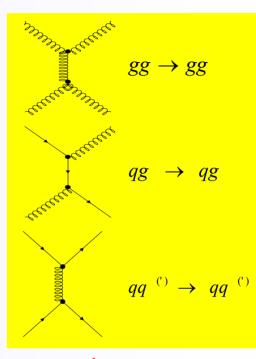
STAR experiment (EMC/EEMC)





Polarized proton collider RHIC (FY02-> FY03)

■ Introduction (ΔG)



- Inclusive jet production
- Summary and Outlook

Introduction ($\triangle G$)



- lacksquare Background and status on ΔG
- Fundamental question: How is the proton spin made up?



$$J = \frac{1}{2} = \frac{1}{2}\Delta\Sigma + \Delta G + L_z^q + L_z^g$$

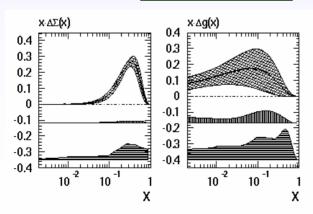
⇒ SMC result: Fraction of proton spin carried by quarks is small:

$$\Delta\Sigma_{(AB)} = 0.38^{+0.03+0.03+0.03}_{-0.03-0.02-0.05}$$
 at $Q^2 = 1$ GeV²

⇒ Where is the spin of the proton then?

$$\Delta G$$
 and $(L_z^q + L_z^g)$

⇒ SMC QCD-fit:

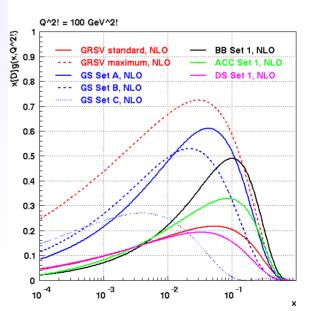


• At present: ΔG is only poorly constrained from scaling violations in fixed target DIS experiments

$$\Delta G_{(AB)} = 0.99^{+1.17 + 0.42 + 1.43}_{-0.31 - 0.22 - 0.45}$$
 at $Q^2 = 1 \text{GeV}^2$

SMC, Phys. Rev. D58 (1998) 112002.

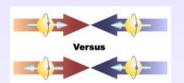
- Need: New generation of experiments to explore the spin structure of the proton: polarized proton collisions at RHIC which allows to access directly ΔG in polarized pp collisions!
- ΔG results of Global QCD-fits:



Introduction (ΔG)



- Access ΔG in polarized pp collisions
- ΔG sensitivity in polarized pp collisions
 - High-p_T (prompt) photon production
 - Jet production
 - ⇒ Heavy-flavor production
- Access ΔG : Double longitudinal-spin asymmetry A_{11}



$$A_{LL} = \frac{\sigma_{+} - \sigma_{-}}{\sigma_{+} + \sigma_{-}}$$

- ⇒ Study helicity dependent structure functions!
- Measurement of A_{LL} requires:

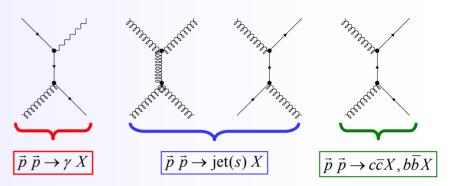
$$A_{LL} = \frac{1}{P_1 P_2} \cdot \frac{N_+ - RN_-}{N_+ + RN_-}$$

$$\delta A_{LL} = \frac{1}{P_1 P_2} \cdot \sqrt{\frac{1 - (P_1 P_2 A_{LL})^2}{N_+ + RN_-}}$$

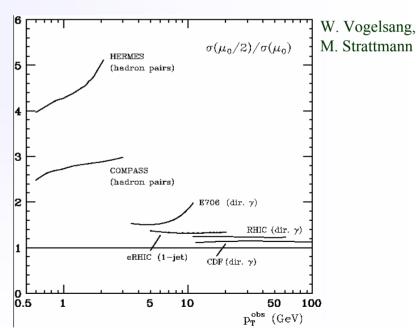
- 1. $N_{+(-)}$: Spin dependent event yield
- 2. R: Relative luminosity
- 3. P: Beam polarization
- FOM (= Figure-Of-Merit):

$$\Rightarrow A_{N}/A_{L}: P^{2} \cdot \int L dt \qquad \Rightarrow A_{LL}/A_{TT}: P^{4} \cdot \int L dt$$





Theoretical advantage of RHIC:



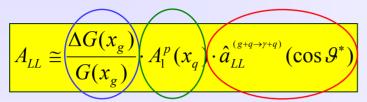
⇒ Smaller scale dependence at RHIC compared to HERMES/COMPASS!

Introduction (ΔG)



The golden channel at RHIC: Quark-Gluon Compton scattering (1)

• A_{11} for QGC scattering interpreted in LO QCD: $gq \rightarrow \gamma g$



Gluon polarization

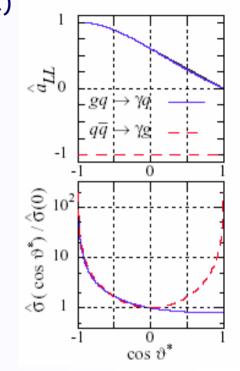
Measured asymmetry from polarized DIS

pQCD result for QGC scattering

⇒ Note: QGC scattering dominates over competing background process:

$$q\overline{q} \rightarrow \gamma g$$

- ⇒ Polarized cross-section is strongly peaked when photon is emitted in direction of incident quark
- \Rightarrow Best determination of $\triangle G$ for: final-state photon || to initialstate quark



- Reconstruction of initial-state partonic kinematics:
- \Rightarrow Event-by-event determination of p_{T_v} (photon energy), n_v (photon direction) and n_{iet} (jet direction) allows to reconstruct:
- ⇒ Large x quark (large quark polarization) analyzes small-x gluons (gluon-rich)
- Asymmetric QGC scattering (forward boost in direction of incident quark)

$$x_{1(2)} \cong \frac{p_{T,\gamma}}{\sqrt{S}} \left(e^{\pm \eta_{\gamma}} + e^{\pm \eta_{\text{jet}}} \right)$$

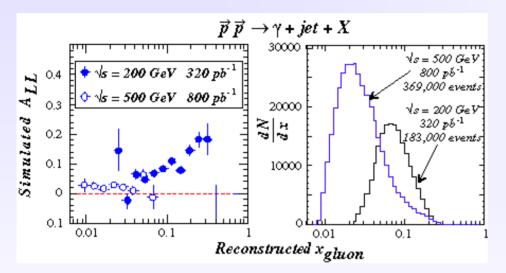
$$x_q^{recon} = \max[x_1, x_2]$$
$$x_g^{recon} = \min[x_1, x_2]$$

- Background:
- $\Rightarrow \pi^0(\eta^0) \rightarrow yy: \pi^0(\eta^0)/y$ discrimination needed
- ⇒ Isolation cone requirement

Introduction (ΔG)



- The golden channel at RHIC: Quark-Gluon Compton scattering (2)
- Simulated A_{11} at two different RHIC center-of-mass energies:



⇒ Combined data sample at 200 GeV and 500 GeV is essential to minimize extrapolation errors in determining ΔG :

$$\Delta G(Q^2) = \int_{0}^{1} \Delta g(x, Q^2) dx$$
 Accuracy: 0.5

 \Rightarrow Ultimately: Global analysis of various ΔG !

- ⇒ Multi year program at RHIC which requires:
 - 1. High luminosity
 - 2. High polarization
 - 3. $\sqrt{s} = 200 / 500$ GeV



$$A_{LL} \cong \frac{\Delta G(x_g)}{G(x_g)} \cdot A_1^p(x_q) \cdot \hat{a}_{LL}^{(g+q\to\gamma+q)}(\cos\theta^*)$$



$$\overrightarrow{p} + \overrightarrow{p} \rightarrow \gamma + jet + X \qquad \sqrt{s} = 200 \text{ GeV}, 320 \text{ pb}^{-1}$$

$$\sqrt{s} = 500 \text{ GeV}, 800 \text{ pb}^{-1}$$

$$0.8 \qquad \qquad \sqrt{s} = 200 \text{ GeV}, 800 \text{ pb}^{-1}$$

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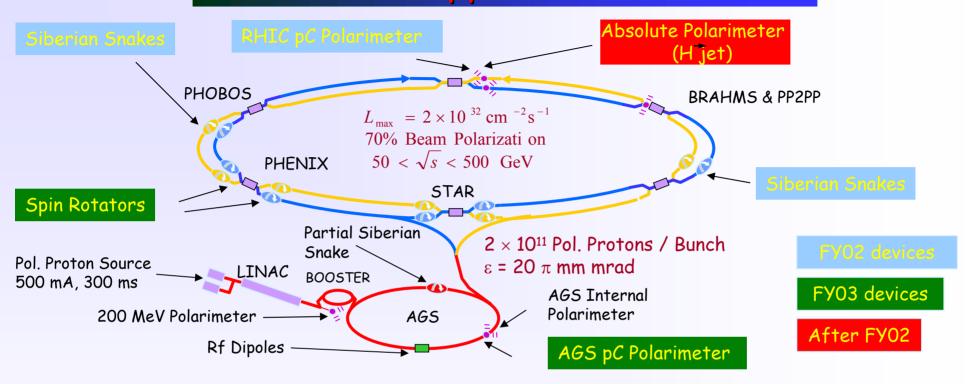
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$$0.0$$

Polarized pp collider RHIC





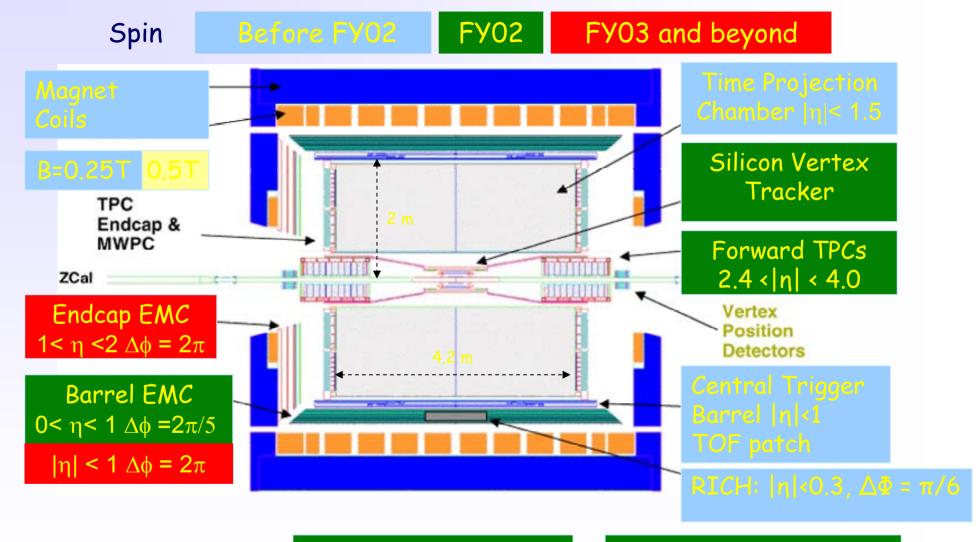
- RHIC performance in FY02:
- ⇒ Beam energy: 100 GeV
- \Rightarrow Inst. luminosity: $\sim 1 \cdot 10^{30} \text{ s}^{-1} \text{ cm}^{-2}$
- ⇒ Integrated luminosity: ~ 0.3pb⁻¹
- ⇒ Bunch crossing time: 213ns
- ⇒ Polarization: ~ 0.2 at injection approximately maintained at 100GeV (transverse)

- Expected RHIC performance in FY03:
- ⇒ Beam energy: 100 GeV
- \Rightarrow Inst. luminosity: $\sim 1 \cdot 10^{31} \text{ s}^{-1} \text{ cm}^{-2}$
- ⇒ Integrated luminosity: ~ 3 pb⁻¹ recorded at STAR (long. polarization)
- ⇒ Bunch crossing time: 107ns
- ⇒ Polarization: ~ 0.4 from AGS (trans. and long. at RHIC)



STAR experiment (EMC/EEMC)





 $\eta = -\ln\left[\tan\left(\theta/2\right)\right]$

Forward Pion Detector $3.1 < \eta < 4.4$

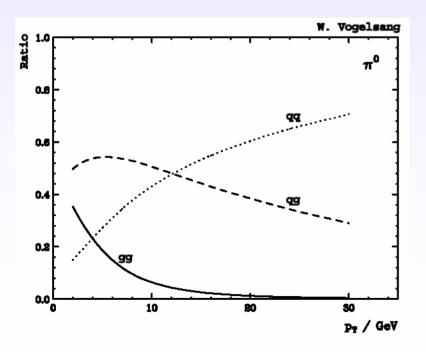
Beam-Beam Counters $2 < |\eta| < 5$

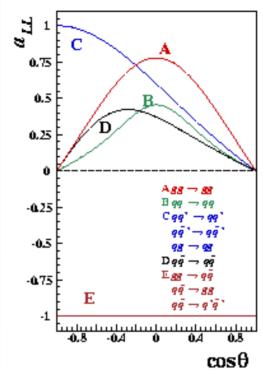


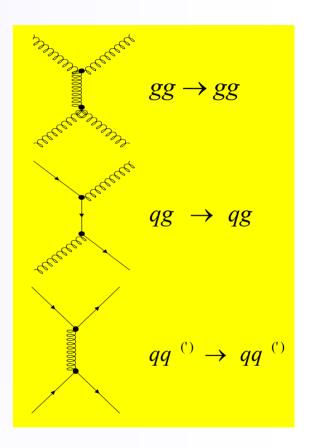


General remarks

- Mixture of gg / qg /qq^(') scattering
- Sensitive to ΔG
- High statistics







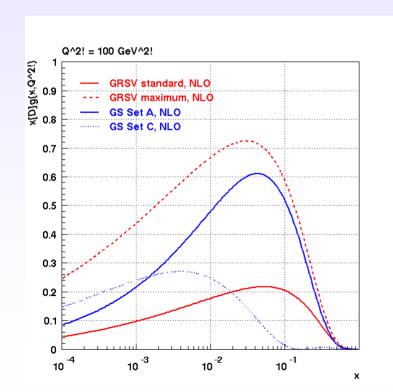


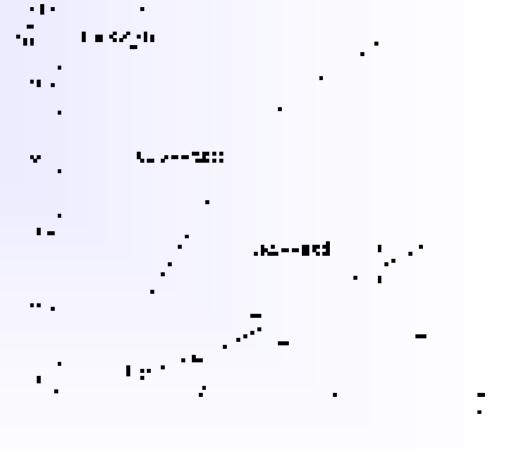


 \blacksquare NLO calculation (A_{LL} sensitivity for GRSV)

W. Vogelsang

- Luminosity: 3pb-1
- √s=200*G*eV
- Polarization: 0.4
- Assume: Coverage of EMC (barrel)
 - \Rightarrow 0 < Φ < 2 π and 0 < η < 1





 \Rightarrow Clear sensitivity in A_{LL} between $\triangle G$ of GRSV-max and GRSV-std!





 \blacksquare NLO calculation (A_{LL} sensitivity for GS)

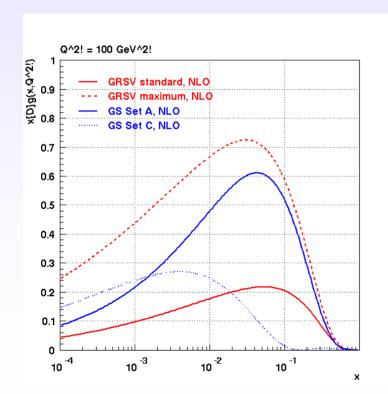
• Luminosity: 3pb-1

√s=200GeV

Polarization: 0.4

Assume: Coverage of EMC (barrel)

 \Rightarrow 0 < Φ < 2 π and 0 < η < 1





 \Rightarrow Clear sensitivity in A_{LL} between $\triangle G$ of GS-A and GS-C!





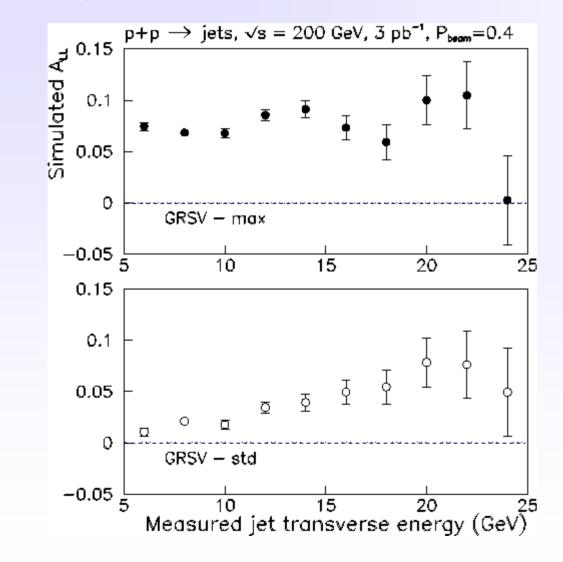
Rates

- Anticipated performance of RHIC in FY03:
- ⇒ Beam energy: 100 GeV
- \Rightarrow Inst. luminosity: $\sim 1 \cdot 10^{31} \text{ s}^{-1} \text{ cm}^{-2}$
- ⇒ Integrated luminosity: ~ 3 pb⁻¹ (long. Polarization)
- ⇒ Bunch crossing time: 107ns
- ⇒ Polarization: ~ 0.4 from AGS (transverse and longitudinal at RHIC)
- Anticipated Jet-Trigger:
- \Rightarrow Trigger requirement: $\Sigma E_T > 6$ GeV over EMC/EEMC jet patches
- ⇒ Rate: 40 Hz
- \Rightarrow Yield for 10 days at 33% efficiency (~3pb⁻¹):
 - \Rightarrow ~ 1 X 10° jets for p_T = 5 10 GeV
 - \Rightarrow ~ 9 X 10⁴ jets for p_T = 15 20 GeV
 - \Rightarrow ~ 1 X 10³ jets for p_T = 30 35 GeV





A_{LL} sensitivity (incl. detector effects)



- Simulation based on Pythia including trigger and and jet reconstruction efficiencies
- Assume: Coverage of EMC (barrel) $\Rightarrow 0 < \Phi < 2\pi$ and $0 < \eta < 1$
- Jet Trigger: E_T > 5 GeV over at least one "patch" ($\Delta \eta = 1$) X ($\Delta \Phi = 1$)
- Jet reconstruction: Cone algorithm (seed = 1GeV, R = 0.7)
- Luminosity: 3pb-1
- Polarization: 0.4
- $\sqrt{s} = 200 \text{GeV}$



Systematic errors

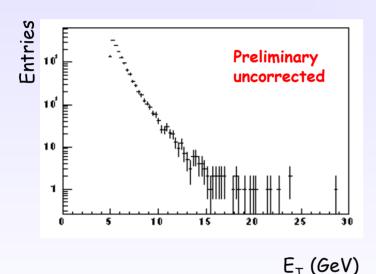
- Polarization:
 - ⇒ Absolute polarization uncertainty at injection: ~ ± 20%
 - \Rightarrow Need RHIC down-ramping development to determine uncertainty at \sqrt{s} = 200 GeV
 - \Rightarrow Ultimately: RHIC Polarized jet target to aim for an absolute polarization uncertainty of $\sim \pm 5\%$
- Relative luminosity (R) measurement:
 - ⇒ Study of background contribution to R measurement (Talk by J. Kiryluk)
 - ⇒ Study of possible spin dependence in monitoring process for R measurement
- Trigger bias:
 - ⇒ Difference in fragmentation function of quark over gluon jets!
 - ⇒ Employ different jet triggers to study those uncertainties!
- Tuning of spin rotators: (Talk by A. Ogawa)



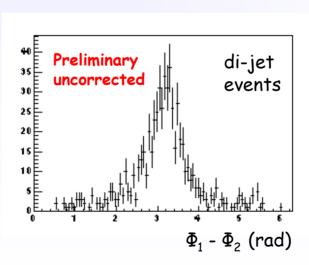
Status of FY02 jet analysis



- Very first "look" at jets:
 - \Rightarrow DATA: STAR minimum-bias pp data: \sqrt{s} = 200 GeV
 - Jet algorithm: Cone jet Finder for charged particles only: R = 0.7, seed > 1GeV, E_{τ} > 5GeV, $|n^{jet}|$ < 0.7
 - Quantitative comparison to MC simulations (e.g. Pythia) requires detailed studies of detector efficiencies







- First "look" to "see" jets is encouraging in view of our spin program ("inclusive jets") in FY03!
- NOTE: Realistic simulations to account for detector efficiencies are required!



Summary and outlook



Summary

- ⇒ First collisions of longitudinally polarized protons expected for FY03
- \Rightarrow Sensitivity to $\triangle G$ from A_{11} measurement for FY03 in inclusive jet production
 - NLO calculations
 - Simulations
 - Systematic errors
- ⇒ First "look" towards jets in FY02 data looks encouraging

Outlook

- \Rightarrow Various upgrade programs are underway at STAR which are crucial to measure A_{ij} :
 - Electromagnetic barrel/endcap calorimeter
 - Beam-Beam counter ⇒ J. Kiryluk (Relative luminosity measurement) / Forward-Pion Detector ⇒ G. Rakness and ⇒ A. Ogawa (Tune of spin rotators) Mid-rapidity: J. Balewski

⇒ A very exciting time is ahead of us to explore the spin structure of the proton at RHIC!

